## ProdInCosyVerif, Small Memento for Formulæ

## F. Kordon

| Structure of a Formula  |  |
|---|--|
| query [verbose] [node] formula                                  | If <b>node</b> is set, the formula is evaluated on all reachability graph's nodes.   |
|   | Otherwise, it is evaluated on the initial state ondly? If <b>verbose</b> is set, the |
|   | verbose mode will be activated.  |
|   | Important: all nodes in the reachability graph are numbered. You can                 |
|   | use these identifiers to point out some nodes.                                       |
| Atomic propositions (to be hold in formulæ)                     |  |
| PlaceName1 >= Placename2  | PlaceName1 contains less tokens than PlaceName2.                                     |
| PlaceName $!= \langle \rangle$                                  | PlaceName marking is different from one signle non colored token.                    |
| Placename == $2\langle .1, 2. \rangle + \langle .1, 3. \rangle$ | PlaceName marking is equal to one composed colored token $(1,3)$ plus                |
|   | two composed colored tokens $(1,2)$ .  |
| card (PlaceName) > 1  | The number of tokens in PlaceName is greater than 1.                                 |
| card(PlaceName:(field[0]==2)) $\rangle$ = 1                     | The number of composed tokens in place PlaceName for wich the first                  |
|   | field is "2" is greater or equal to 1 (be aware that field numbering starts          |
|   | from 0).   |
| and/or/not  | Usual logical operators  |
| Temporal formulæ  |  |
| ΑΧ (φ)  | $\phi$ is true for the text state on all futures.                                    |
| ΕΧ (φ)  | $\phi$ is true for the text state on at least one future.                            |
| ΑG (φ)  | $\phi$ is globally true on all futures.  |
| ΕG (φ)  | $\phi$ is true globally true on at least one future.                                 |
| ΑF (φ)  | $\phi$ is ventually true on all futures.   |
| ΕF (φ)  | $\phi$ is eventually true on at least one future.                                    |
| AU $(\phi_1, \phi_2)$   | $\phi_1$ is true until $\phi_2$ becomes true on all futures.                         |
| $EU\left(\phi_{1},\phi_{2}\right)$                              | $\phi_1$ is true until $\phi_2$ becomes true on at least one future.                 |
| implies $\overline{(\phi_1, \phi_2)}$                           | $\phi_1$ implies $\phi_2$ .  |

You may also replace query by check, the answer is then easier (false or true instead of a number of paths). However, we observed that some interactions with the CTL macro we use and that are referenced in this table sometimes raise strange behaviors. So we strongly suggest to restrict the use of check to reachability formulæ.